

Interpretable Representation Learning for Healthcare via Capturing Disease Progression through Time

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Advisor : Jia-Ling, Koh

Speaker : Pei-Hsuan Lin

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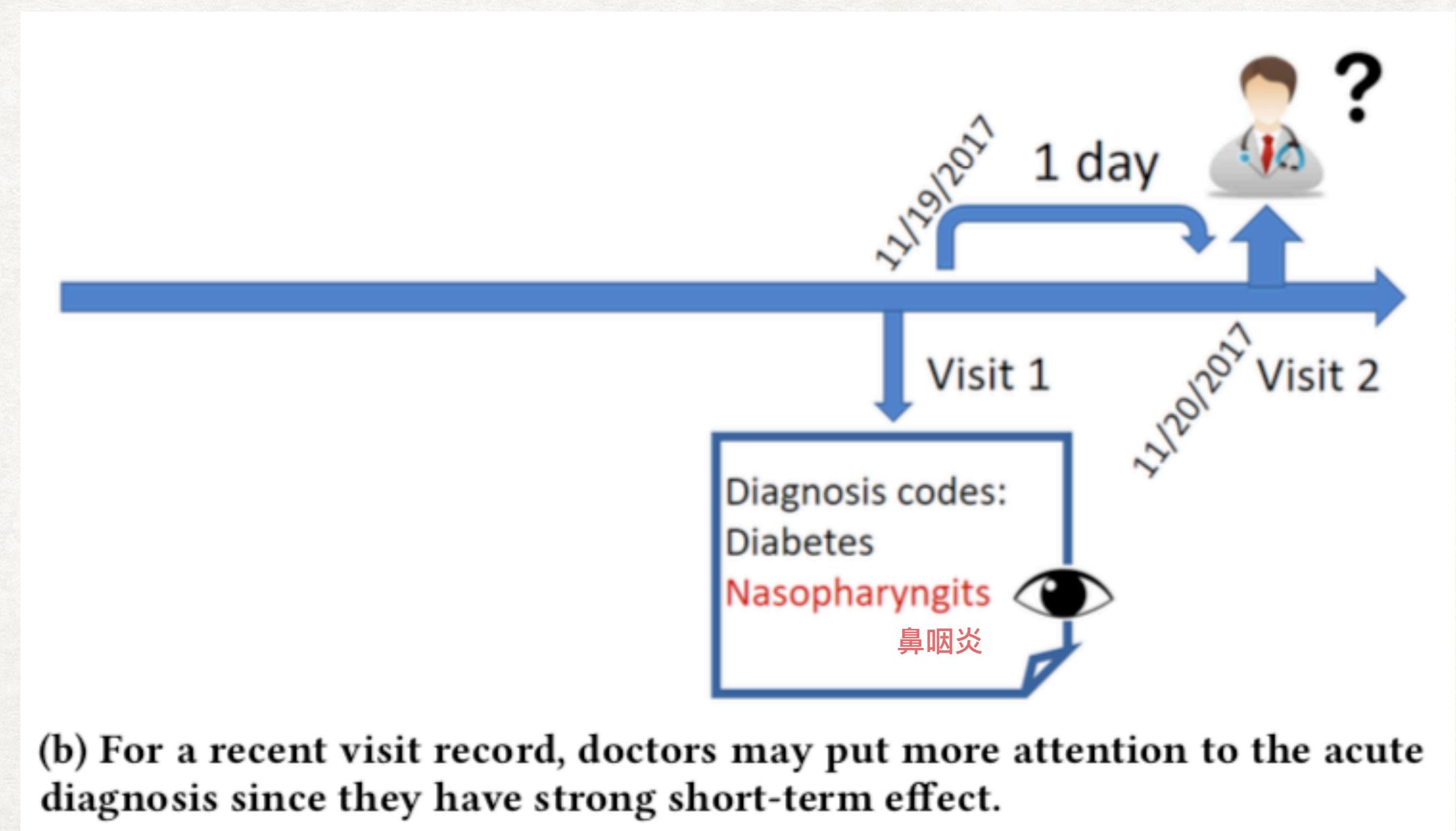
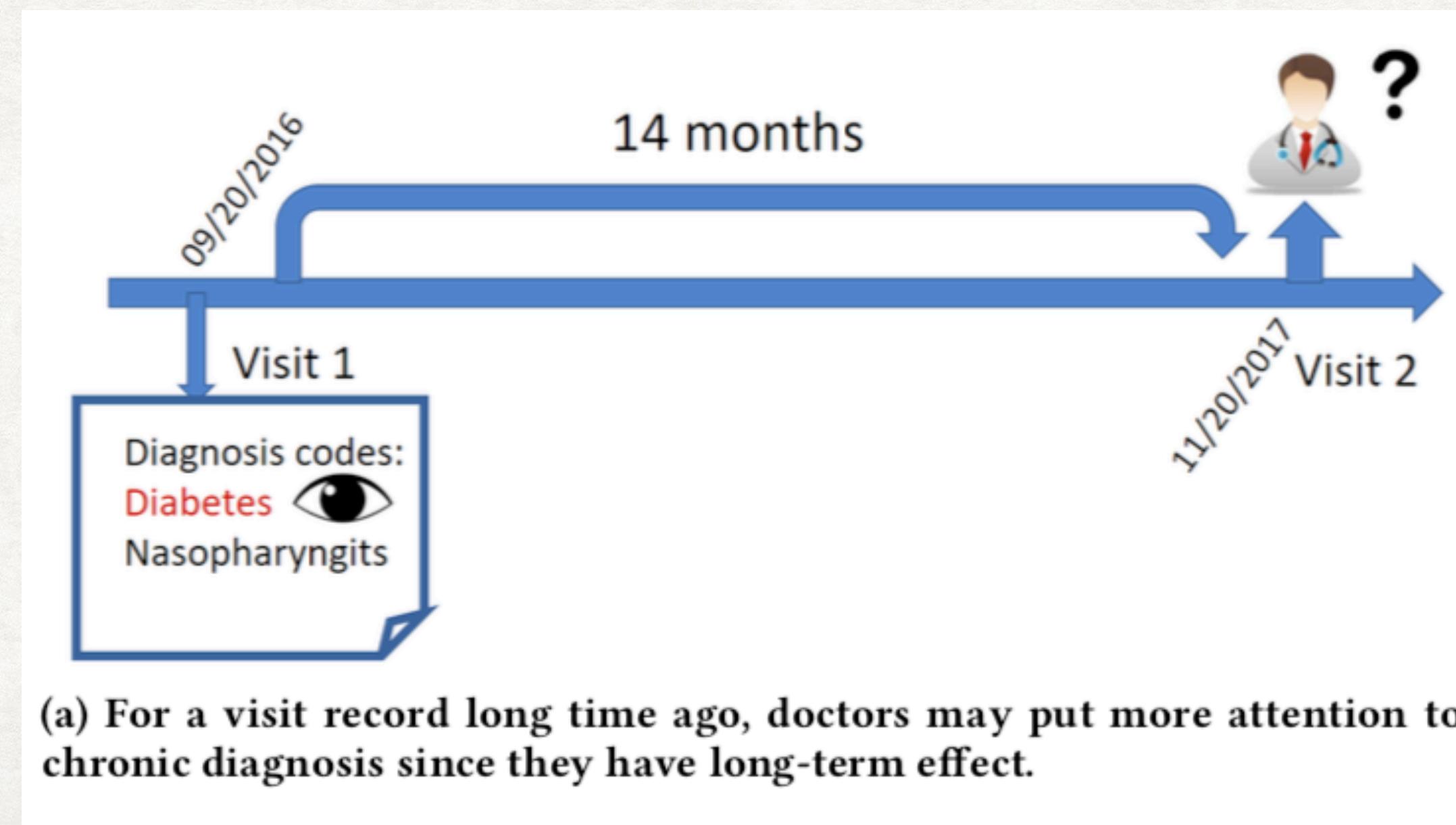
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Outline

- Introduction
- Method
- Experiment
- Conclusion

Introduction

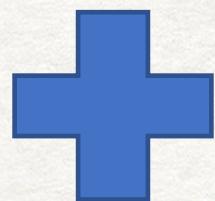
- To predict what is the primary diagnosis category for the hospital visit



Challenges

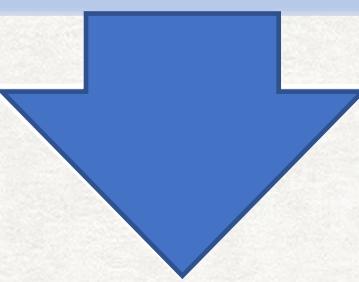
The RNN model is lack of interpretability

-> Add attention layer into the model



Irregular sampling of patient visits

-> Consider visit interval in the hidden state

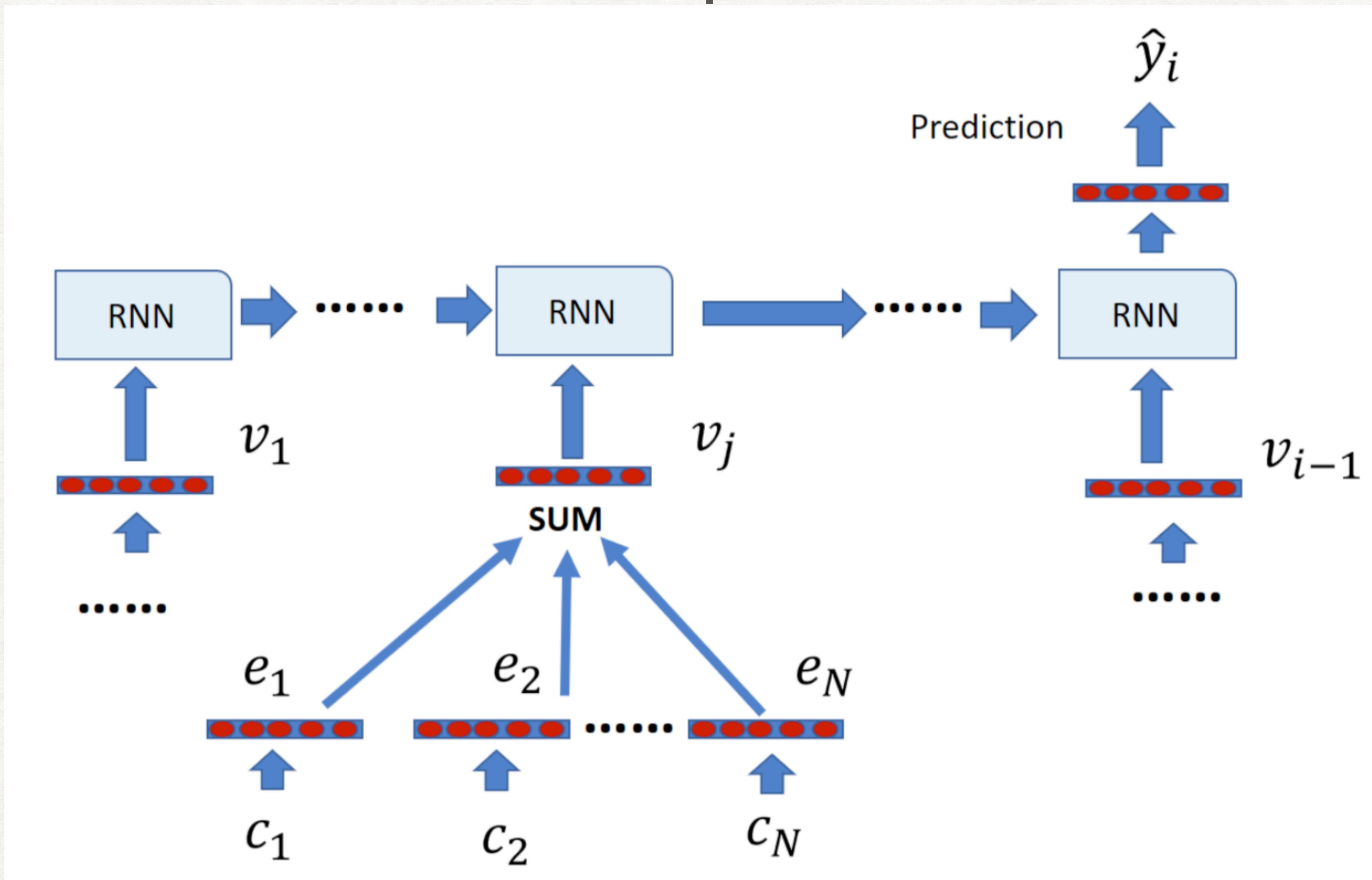


Interpretable, time-aware, disease-sensitive RNN model :
Timeline

Problem setup

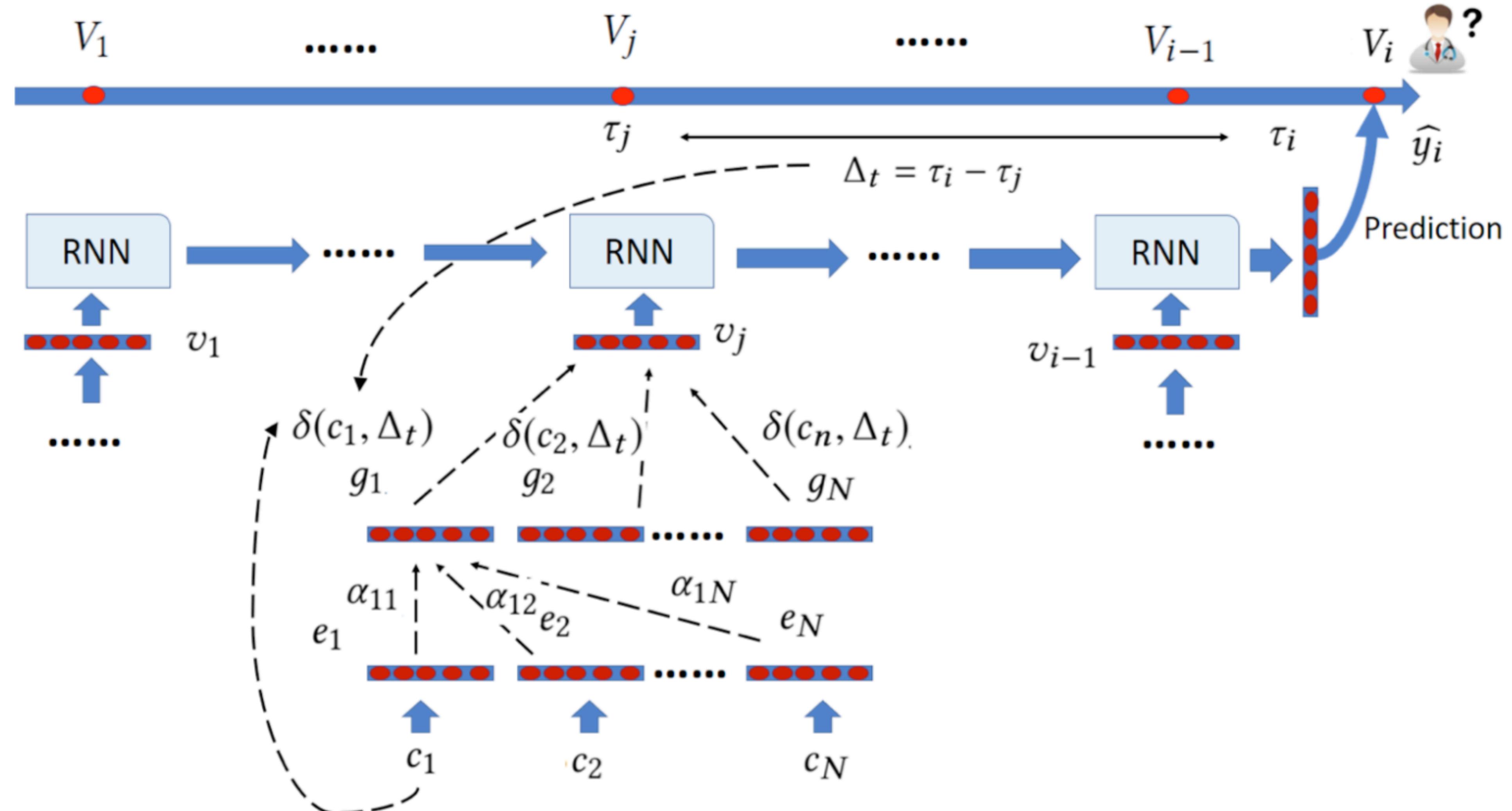
- The i -th patient consists of a sequence of T_i visits $V_{1i}, V_{2i}, V_{3i}, \dots, V_{Tii}$ ordered by the visiting time.
- The j -th visit V_{ji} is a 2-tuple $V_{ji} = (\xi_{ji}, \tau_{ji})$
- ξ_{ji} consists of a set of unordered medical codes $\xi_j = \{c_1, c_2, \dots, c_{|\xi_j|}\}$
- τ_{ji} is the admission day of the visit

The Similar Simple Framework



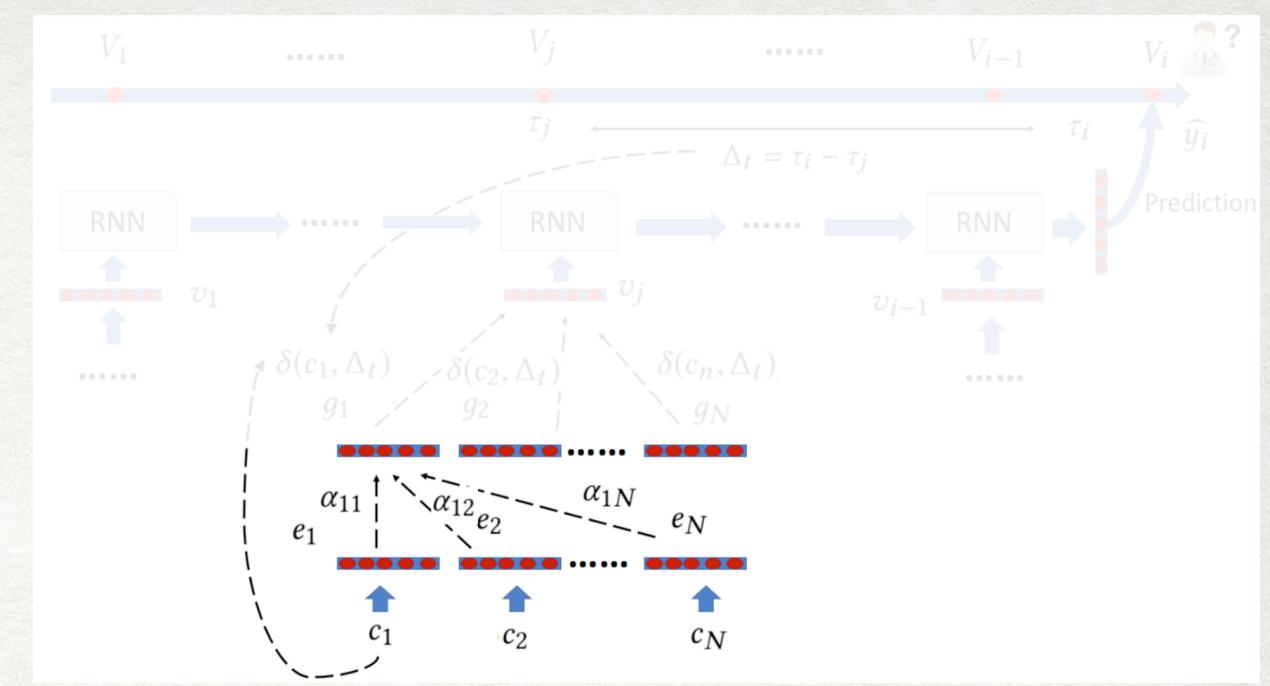
$$v_j = \sum_{n=1}^N e_n : \text{Each code contributes equally to the final visit representation.}$$

The Timeline Model

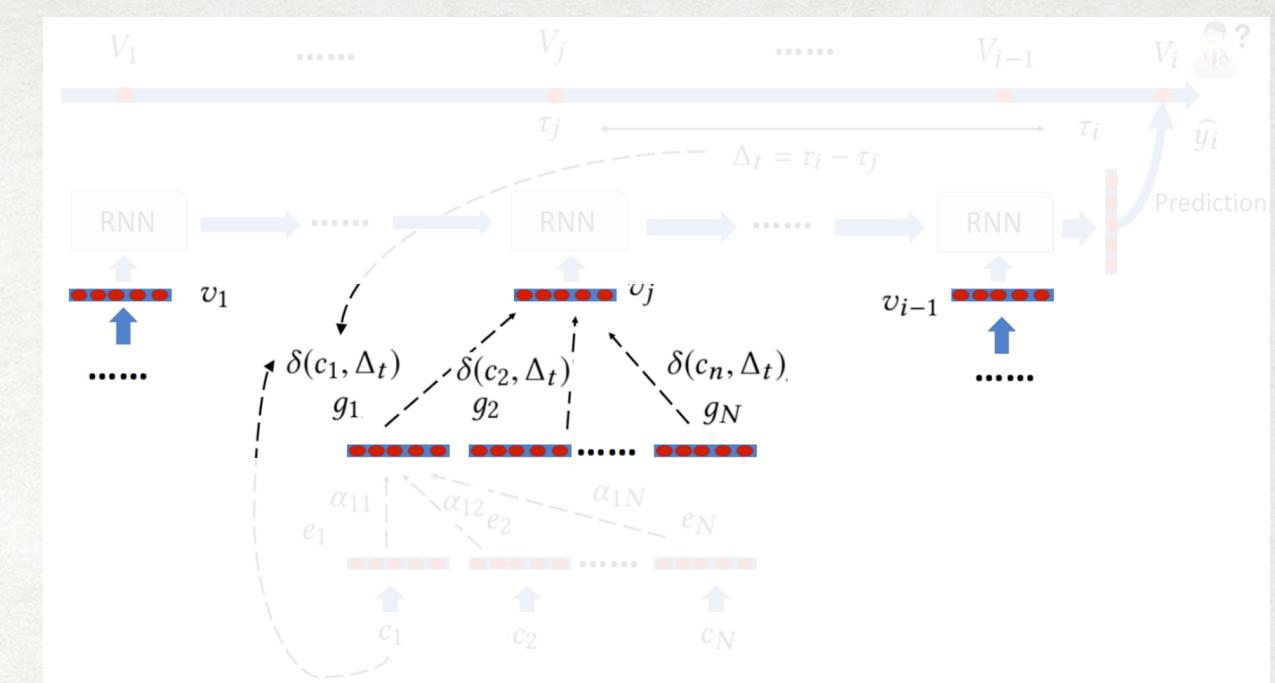


The Timeline Model - 1 attention weight

- query vector and key vector for c_n
 - query vector : $q_n = W_Q e_n, W_Q \in R^{a \times m}$
 - key vector : $k_n = W_K e_n, W_K \in R^{a \times m}$
- attention value:
 - $\alpha_{n1}, \alpha_{n2}, \dots, \alpha_{nN} = softmax([\frac{q_n k_1}{\sqrt{a}}, \frac{q_n k_2}{\sqrt{a}}, \dots, \frac{q_n k_N}{\sqrt{a}}])$
 - \sqrt{a} is the scaling factor



The Timeline Model - 2final visit representation



- context vector g_n :

$$g_n = \sum_{x=1}^N \alpha_{nx} e_x$$

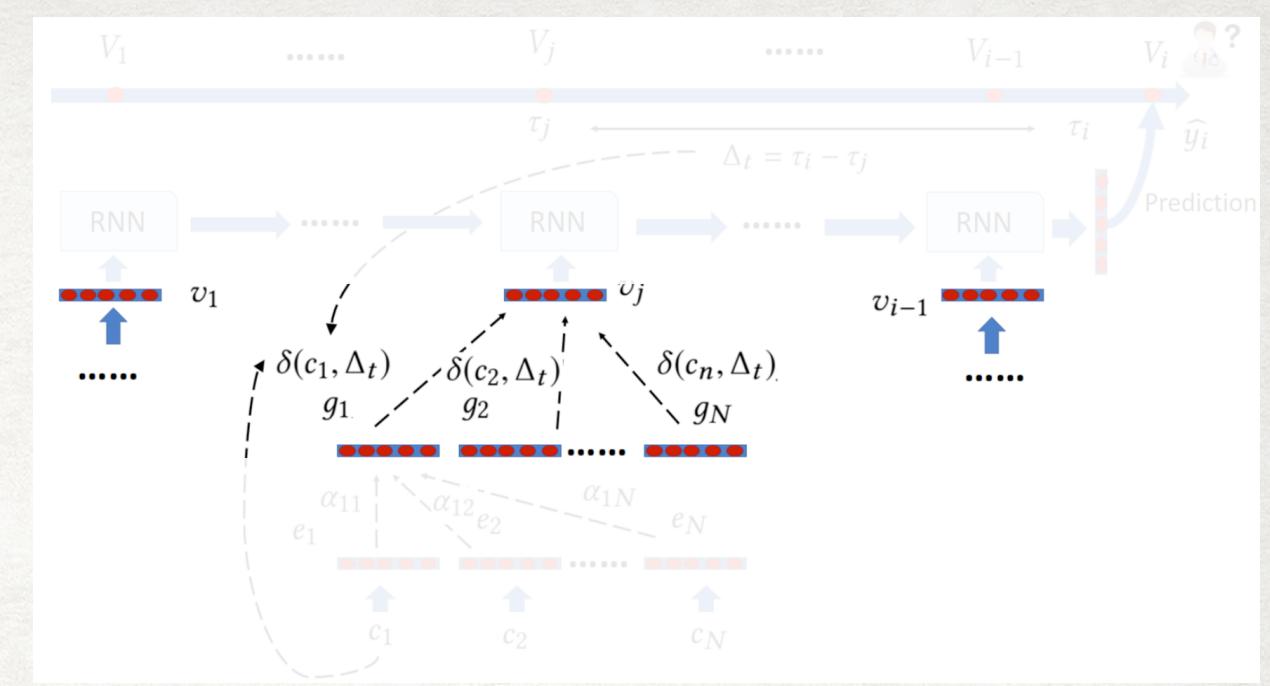
- δ function: representation how disease c_n diagnosed at Δt ago affects the condition at the time of prediction

- $\delta(c_n, \Delta t) = S(\theta_{c_n} - \mu_{c_n} \Delta t)$
- μ_{c_n} , θ_{c_n} are disease-specific learnable scalar (initial and through-time influence)
- $\Delta t = \tau_i - \tau_j$, time interval between V_j and the prediction V_i
- sigmoid function

The Timeline Model - 2final visit representation

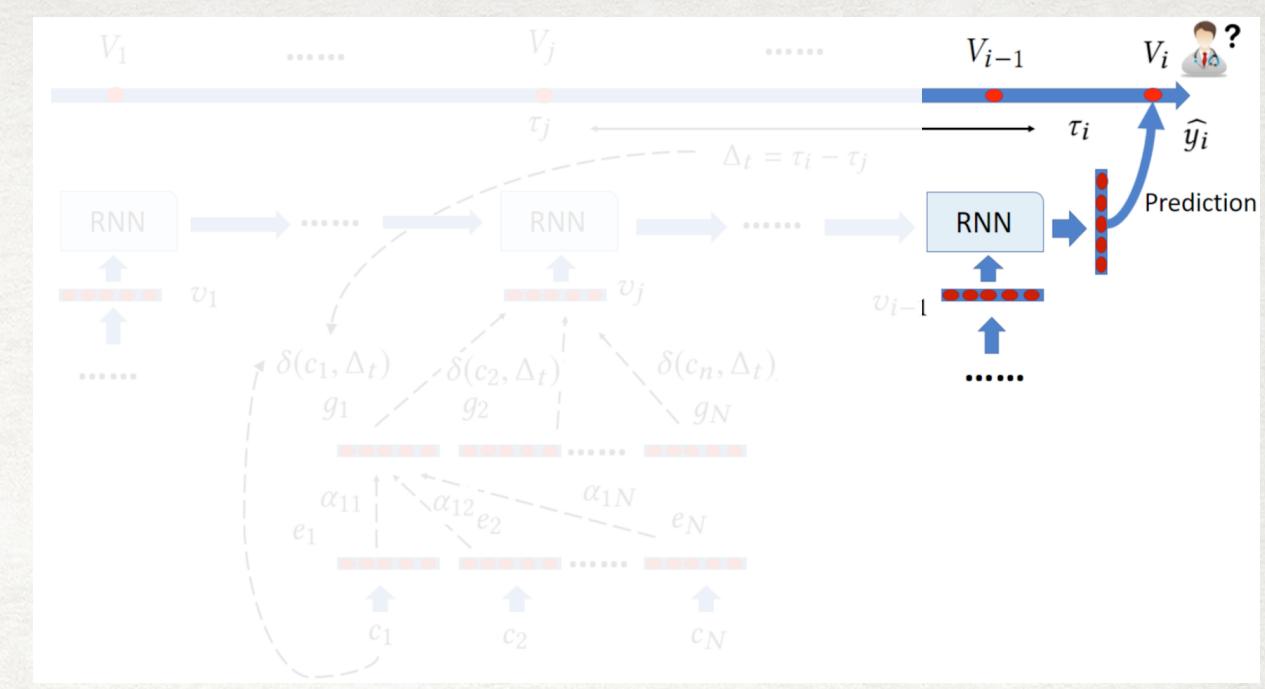
- final visit representation:

$$\bullet v_j = \sum_{n=1}^N \delta(c_n, \Delta_t) g_n$$



The Timeline Model - 3prediction

- target label:
 - $y_i \in \mathbb{R}^L$, one-hot
- prediction process:
 - $h_1, h_2, \dots, h_{i-1} = biLSTM(v_1, v_2, \dots, v_{i-1}, \theta_{LSTM})$
 - $\hat{y}_i = softmax(Wh_{i-1} + b)$
- loss function:
 - negative log likelihood : $L(y_i, \hat{y}_i) = -y_i \log \hat{y}_i$
 - average of instance losses for multiple instances in implementation



The Timeline Model - interpretation

- analysis weights associated with each embedding e of medical code c :

$$\begin{aligned} v_j &= \sum_{n=1}^N \delta(c_n, \Delta_t) g_n \\ &= \sum_{n=1}^N \delta(c_n, \Delta_t) \left(\sum_{x=1}^N \alpha_{nx} e_x \right) \\ &= \sum_{x=1}^N \left(\sum_{n=1}^N \delta(c_n, \Delta_t) \alpha_{nx} e_x \right) \end{aligned}$$

• $\phi(c_x) = \sum_{n=1}^N \delta(c_n, \Delta_t) \alpha_{nx}$, if $\phi(c_x)$ is large then it contributes to the final prediction more

$$v_j = \sum_{x=1}^N \phi(c_x) e_x$$

Data Sets

- SEER-Medicare Linked Database
 - records each visit if a patient as a set of diagnosis, procedure billing codes.
 - contains inpatients, outpatients and carrier claims from 161,366 patients from 2000-2010
- In this experiment, we use
 - inpatient dataset : ICD-9 diagnosis, procedure codes
 - mixed dataset : ICD-9, CPT codes
- to predict the primary diagnosis of future inpatient visits, ICD-9 diagnosis codes are grouped into 18 major groups

Data Sets

Dataset	Inpatient dataset	Mixed dataset
# of patients	45,104	93,123
# of visits	155,898	5,979,529
average # of visits per patient	3.46	64.21
max # of visits per visit	35	483
# of instances	45,104	200,892
# of unique medical codes	6,020	18,826
# of unique ICD-9 diagnosis codes	3,928	8,342
# of unique ICD-9 procedure codes	2,092	2,614
# of unique CPT codes	NA	7,870
Average # of medical codes per visit	8.01	6.21
Max # of medical codes per visit	29	105

Baselines

- Majority predictor : always predicts the majority class
- RNN-uni : uses the sum of code embeddings as visit embeddings and feeds into a unidirectional LSTM
- RNN-bi : uses the sum of code embeddings as visit embeddings and feeds into a bidirectional LSTM
- Dipole : uses location-based attention and feeds into a bidirectional RNN
- GRNN-HA : uses hierachal attention ; calculates attention weights for medical codes and patient visits.

Results

Method	Inpatient dataset		Mixed dataset	
	Accuracy	F1	Accuracy	F1
Majority Predictor	0.212	NA	0.245	NA
RNN-uni	0.299	0.194	0.511	0.436
RNN-bi	0.298	0.199	0.516	0.442
Dipole	0.303	0.230	0.523	0.463
GRNN-HA	0.301	0.222	0.519	0.450
Timeline-uni	0.314	0.234	0.526	0.469
Timeline	0.315	0.235	0.530	0.473

- The benefits of bi-LSTM on inpatient dataset is small:
 - The claim number is smaller in inpatient dataset than in mixed dataset

Results

- Awareness of distance between visits

Table 3: Visits of synthetic patient 1. For each visit, all medical codes and weights associated with them are shown. CPT codes are prefixed by **c_**; ICD-9 diagnosis codes are prefixed by **d_**.

visit 1 (298 days ago)		
c_99213	0.0	Office, outpatient visit 門診訪問
d_2859	0.0	Anemia unspecified 貧血
c_92012	0.0	Eye exam 眼科檢查
visit 2 (185 days ago)		
c_99213	0.0002	Office, outpatient visit
d_4241	0.0002	Aortic valve disorders 主動脈瓣閉鎖不全
visit 3 (26 days ago)		
c_80061	0.03	Lipid panel 血脂檢查
d_6117	1.739	Signs and symptoms in breast disorders 乳癌症狀
visit 4 (10 days ago)		
d_V048	0.458	viral diseases 流行性感冒
c_G0008	0.601	Administration of influenza virus vaccine 流感疫苗注射
d_4019	0.0	Unspecified essential hypertension 原發性高血壓
visit 5 (8 days ago)		
d_1742	1.87079	Upper-inner quadrant of female breast cancer 上內部女性乳癌
c_99243	0.0	Office consultation 醫病諮詢
Prediction:	Neoplasms (0.99)	腫瘤

Results

- The model learned which code has huge influence

Table 4: Visits of synthetic patient 2. For each visit, all medical codes and weights associated with them are shown. CPT codes are prefixed by **c_**; ICD-9 diagnosis codes are prefixed by **d_**.

visit 1 (153 days ago)		
d_4149	1.0	Chronic ischemic heart disease unspecified 慢性缺血性心臟病
d_7240	1.0	Spinal stenosis other than cervical 頸椎外的脊柱狹窄
d_4019	0.0	Unspecified essential hypertension
c_99213	0.0	Office, outpatient visit 原發性高血壓
visit 2 (143 days ago)		
d_2780	0.0	Obesity 肥胖
d_3751	0.0	Disorders of lacrimal gland 淚腺疾病
c_92012	0.0	Eye exam 眼科檢查
visit 3 (82 days ago)		
d_3771	1.94464	Pathologic fracture 病理性骨折
c_72080	1.739	Radiologic examination, spine 脊椎放射檢查
d_4019	0.0	Unspecified essential hypertension
visit 4 (18 days ago)		
d_4019	0.0	Unspecified essential hypertension
c_80048	0.017	Basic metabolic panel 基礎代謝檢查
c_85025	0.0	Blood count 血液常規檢查
d_V726	0.301	Special investigations and examinations 特殊檢查
Prediction:		diseases of the musculoskeletal system and connective tissue (0.67) 肌肉骨骼系統、結締組織疾病

Results

- The model is sensitive to the exact time of past clinical events

Table 5: We generate two visits, one visit contains d_1749 and one visit contains d_2720, we change the time interval of the first visit in order to see how prediction changed.

visit 1 (t days ago)	
d_1749	female breast cancer unspecified
visit 2 (10 days ago)	
d_2720	Pure hypercholesterolemia 高膽固醇血症

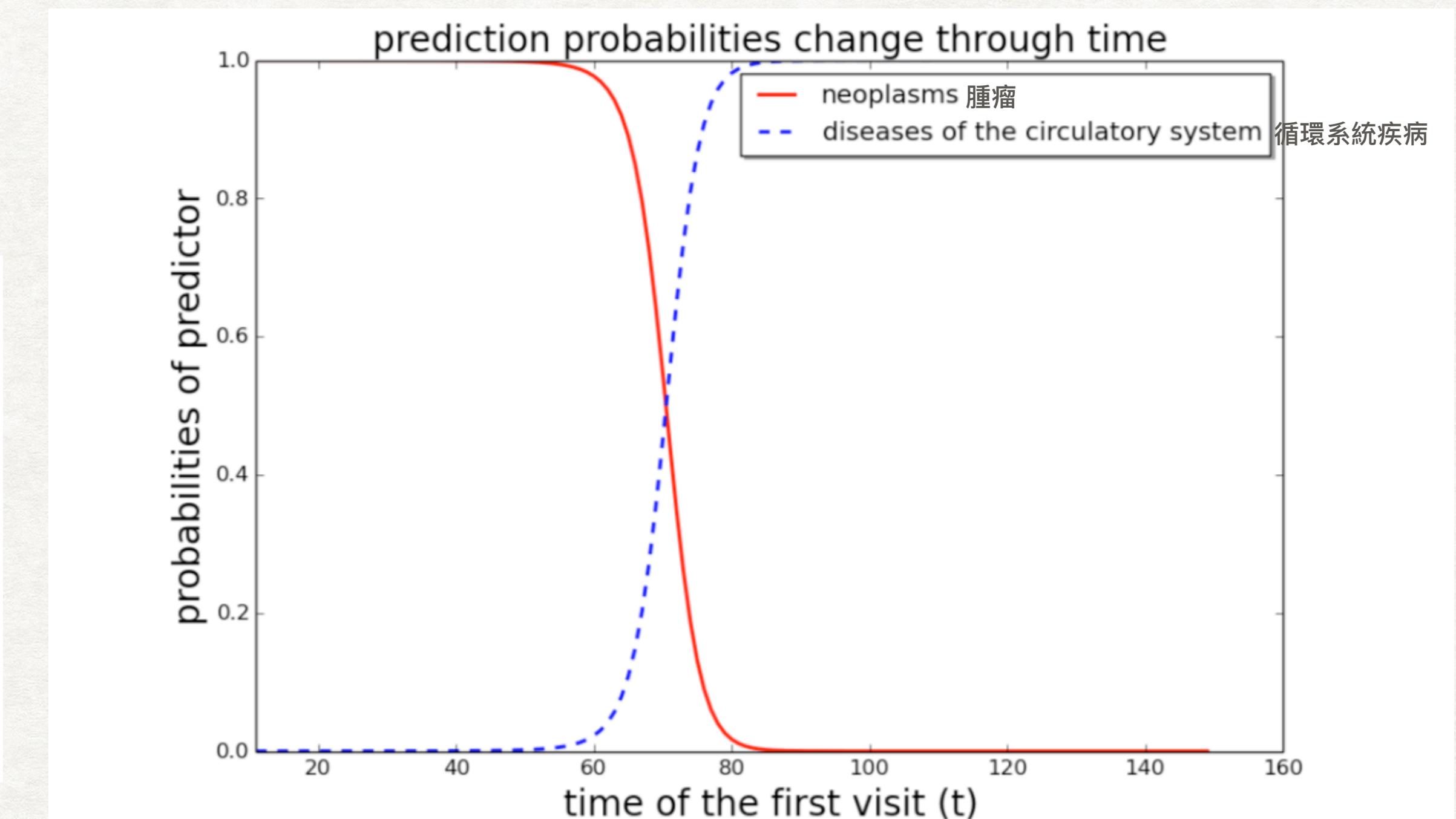


Figure 4: We change time interval t in Table 5 and show how prediction probabilities change with t .

Results

- Each disease has different progression function

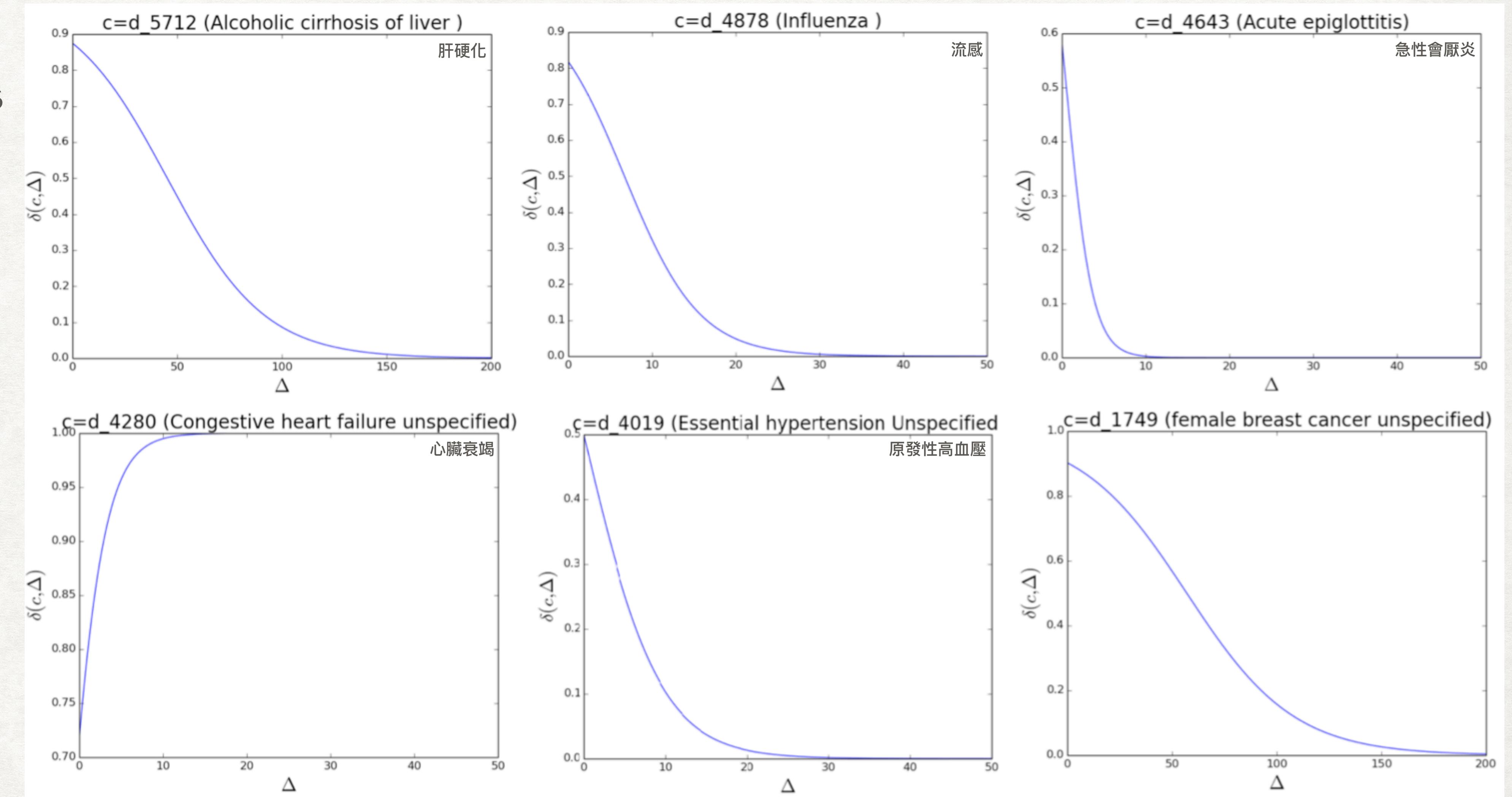


Figure 5: The $\delta(c, \Delta)$ function for six different codes.

Conclusions

- It is important to take sampling irregularity and different disease progression patterns into consideration.
- Uses an attention mechanism to aggregate context information of medical codes
- Uses time-aware disease-specific progression function to model how much information of each disease flows into the RNN.
- The interpretability of the model : Timeline